

Machine Learning Particle Classifier for Water Cherenkov Detectors

Hyper-Kamiokande neutrino experiment

Iñaki Erregue Álvarez-Buhilla

Supervisors:
Dra M. Pilar Casado
Dr Sergio Escalera



July 15, 2022

- ① Introduction
- ② Methodology
- ③ Results
- ④ Conclusions
- ⑤ Back-up

1 Introduction

2 Methodology

3 Results

4 Conclusions

5 Back-up

Neutrinos and their Detection

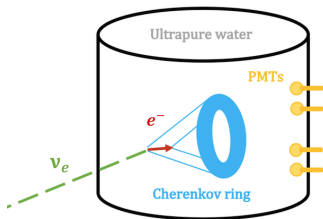


Figure 1: WCD scheme

- Subatomic elementary particles
- Mysterious but yet abundant
- Very elusive
- Key in the understanding of our Universe
- Indirect detection (Cherenkov effect)
- Binary classification: e^- vs. γ background

Hyper-Kamiokande and IWCD

- Based in Japan
- Expected to be completed in 2027
- Software including ML algorithms
- IWCD at 0.7-2 km from source
- $h=6\text{m}$, $r=4\text{m}$
- 536 mPMT modules (19 PMTs each)
- PMT records charge and time
- Use time as a performance booster

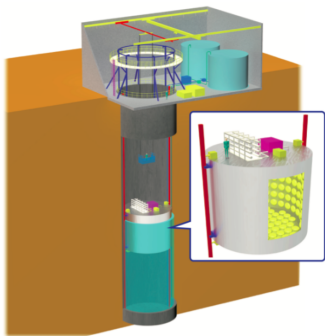


Figure 2: Schematic of the IWCD detector [1]

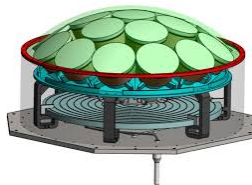


Figure 3: mPMT module design for HK [2]

- ① Introduction
- ② Methodology
- ③ Results
- ④ Conclusions
- ⑤ Back-up

Dataset

- Simulated data (using WCSim)
- Around 3M events
- Balanced dataset
- Uniform distributions

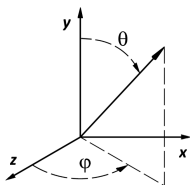


Figure 4: Coordinate system

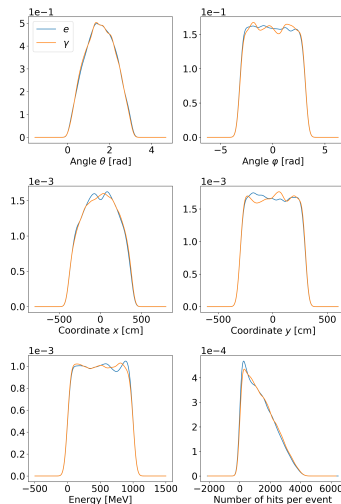


Figure 5: Event distributions (metadata)

From Data to Images

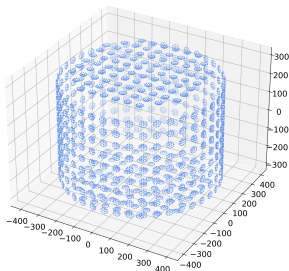


Figure 6: PMTs in 3D tank

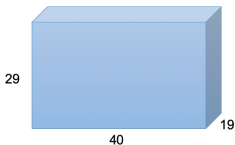


Figure 7: Original image size

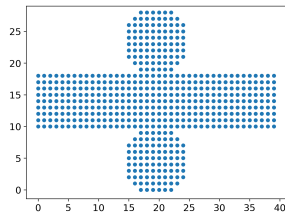


Figure 8: mPMTs in unwrapped tank

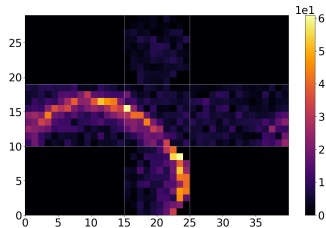


Figure 9: mPMT charge sum for an event

Time information

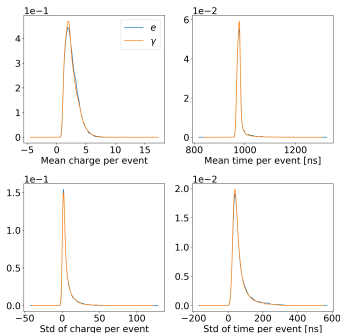


Figure 10: Event distributions

$$\tilde{q} = \frac{q}{1 + \frac{|t - \mu_t|}{\sigma_t}} \quad (1)$$

Approaches:

- As channel (charge-like)
- Embedded in scaling factor (1)
- Order pixel features chronologically

Add-ons:

- Scaling: hit standardization
- mPMT aggregated representation (mean and standard deviation)

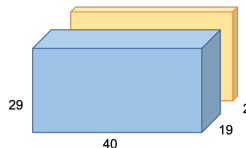


Figure 11: Hybrid representation

Monte Carlo Dropout

Uncertainty measures:

- Variance
- Margin of confidence
- Entropy
- Mutual information

Bhattacharyya distance to discriminate correct and incorrect prediction populations:

$$D_B(p, q) = -\ln \left(\sum_i \sqrt{p_i q_i} \right)$$

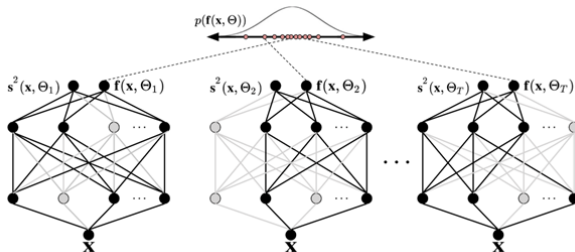


Figure 12: MCD concept [3]

- ① Introduction
- ② Methodology
- ③ Results
- ④ Conclusions
- ⑤ Back-up

Time information

Considered experiments:

- Charge and/or Time
- Hit standardization or None
- mPMT agg. or 19 features
- Time as scaling factor
- Chronological pixel ordering

Configuration:

- ResNet 18
- 20 epochs (~ 9 hours)
- Batch size: 512
- Adam with $lr = 1 \times 10^{-4}$
- Fixed seed
- 1 transformation

Model	Loss	Accuracy	F_1 score	AUC	σ_{AUC}
Q+Ts	0.6037	0.6713	0.6613	0.7332	0.0009
Qs+Ts	0.6042	0.6705	0.6601	0.7328	0.0014
Q+T	0.6106	0.6642	0.6481	0.7254	0.0013
Original	0.6272	0.6426	0.6201	0.7004	0.0010

Table 1: Average value of the loss function and performance metrics along with the standard deviation in the AUC.

Dropout

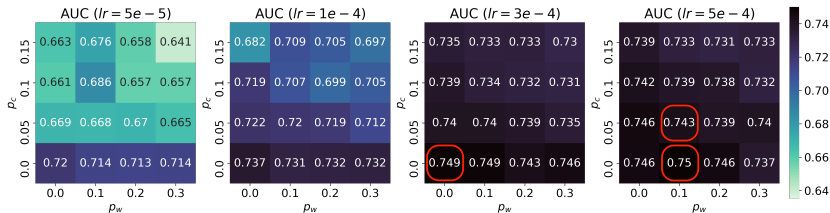


Figure 13: AUC values for different drop-neuron/channel dropout rates in training

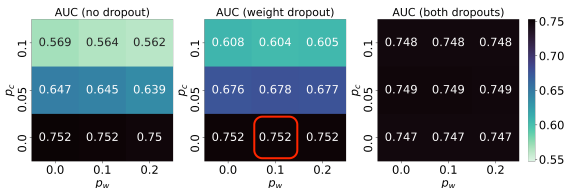


Figure 14: AUC values for different drop-neuron/channel dropout rates in validation

Uncertainty

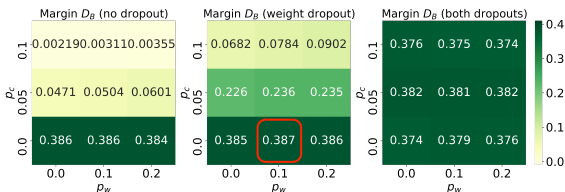


Figure 15: Bhattacharyya distance for different models and drop- neuron/channel dropout rates using the margin of confidence as uncertainty measure

$$M = \frac{1}{T} \sum_{t=1}^T |p_1^t - p_0^t|$$

$$D_B(p, q) = -\ln \left(\sum_i \sqrt{p_i q_i} \right)$$

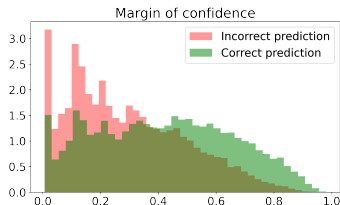


Figure 16: Histogram of correct and incorrect predictions for the margin of confidence and its discriminating power using the Bhattacharyya distance

Benchmarking

Model	Loss	Accuracy	F_1 score	AUC
Proposed	0.5856	0.6864	0.6795	0.7550
Original	0.6271	0.6427	0.6203	0.7007

Table 2: Loss function evaluated in the test set along with some performance metrics for the original configuration and the proposed model

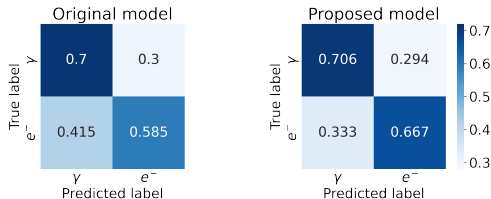


Figure 17: Row normalized confusion matrix for both original and proposed models

	Total	Electron	Gamma
Confidence (%)	38	39,1	37

Table 3: Mean confidence values of test set predictions

Bias Analysis

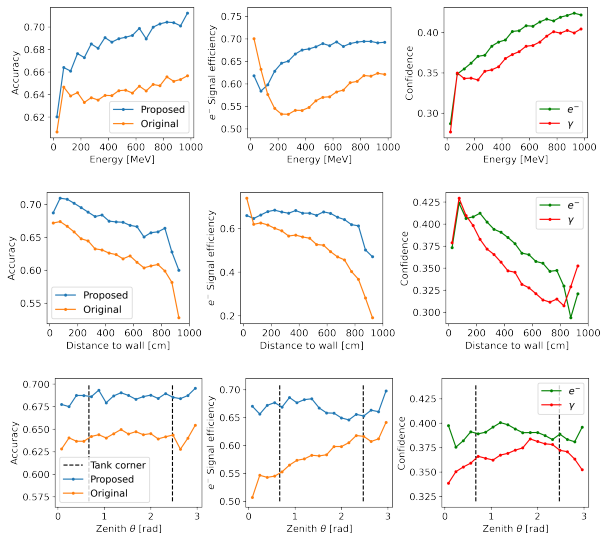


Figure 18: Proposed and original models compared in terms of performance for different features and confidence for both classes

① Introduction

② Methodology

③ Results

④ Conclusions

⑤ Back-up

Conclusions

- Time as a channel
- Hit standardization
- Hybrid representation: time mPMT aggregated
- Relative accuracy improvement of 7%
- Relative electron signal efficiency improvement of 16%
- Outputting margin of confidence in every prediction using MCD
- Enhanced and more stable behaviour towards different energy ranges, cone vertex positions and particle directions

Thank you!

- [1] *T2K and beyond*. Accessed: 2022-05-30. 2021. URL: <https://t2k-experiment.org/beyond-t2k/>.
- [2] Gianfranca De Rosa. "A multi-PMT photodetector system for the Hyper-Kamiokande experiment". In: *Nuclear Instruments and Methods in Physics Research Section A: Accelerators, Spectrometers, Detectors and Associated Equipment* 958 (2020). Proceedings of the Vienna Conference on Instrumentation 2019, p. 163033. ISSN: 0168-9002. DOI: <https://doi.org/10.1016/j.nima.2019.163033>. URL: <https://www.sciencedirect.com/science/article/pii/S0168900219313968>.
- [3] *Monte Carlo dropout*. <https://docs.aws.amazon.com/prescriptive-guidance/latest/ml-quantifying-uncertainty/mc-dropout.html>. Accessed: 2022-07-05.

① Introduction

② Methodology

③ Results

④ Conclusions

⑤ Back-up

Hyper-Kamiokande

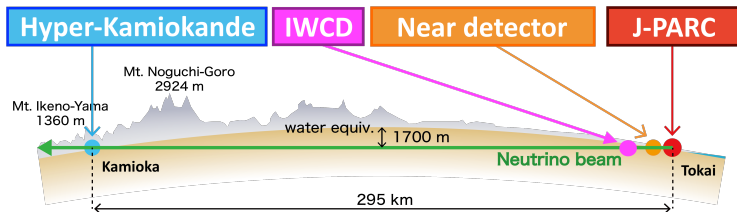


Figure 19: Map of the HK neutrino experiment with the main detector, the IWCD, the near detector and the source of neutrinos (J-Parc accelerator).

Event display

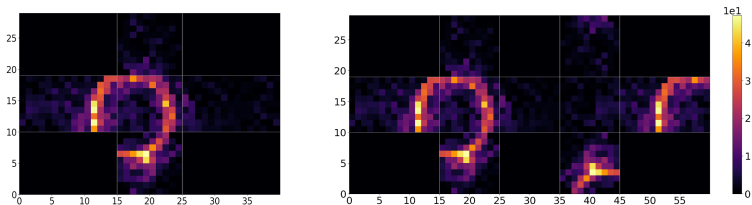


Figure 20: Sum of charge per mPMT for an electron event before and after padding

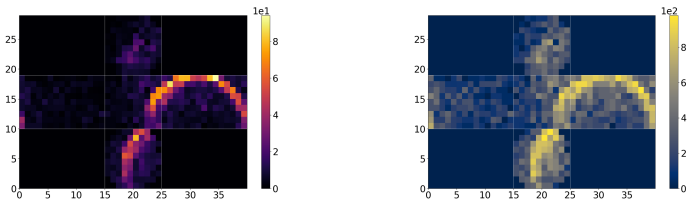


Figure 21: Sum of charge and average time detection per mPMT for a gamma event